

Mathematics Department Workshops

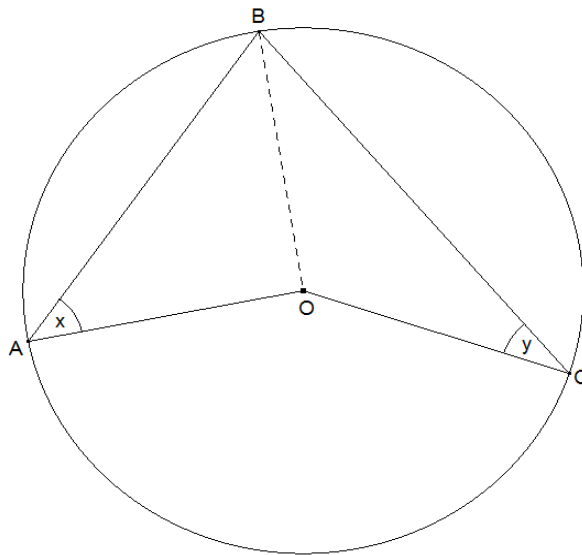
Topic: Circle Theorems

Resource Sheet HT1.CIR.5

Circle Theorems Activity 5: Geometric Proof 2

Proving the angle at the centre is twice the angle at the circumference

$180^\circ - 2y$	isosceles
AOC	circumference
x	angle
centre	BO
360°	point
radii	CBO
sum	180°



O is the centre of the circle and A, B and C are points on the circumference. Complete the missing words from the list above to complete the proof.

AO, _____ and CO are all _____.

This means triangle AOB is _____ so angle ABO is _____.

Similarly, _____ COB is isosceles so angle _____ is y .

As the _____ of the angles in a triangle equals _____, then angle AOB is $180^\circ - 2x$.

Similarly, _____ COB is _____.

As the sum of the angles at a _____ equals 360° , then:

$$(180^\circ - 2x) + (180^\circ - 2y) + \text{angle AOC} = \underline{\hspace{2cm}}.$$

Hence, angle _____ = $2x + 2y$.

This _____ that the angle at the _____ is twice the angle at the _____.

Why does this approach also prove that the angle in a semicircle is 90° ?

Add any relevant terms to the Glossary poster