

Resource sheet 4: Strand progression

	Objective from Year 5 of the Primary Framework	Objective from Year 6 of the Primary Framework	Objectives from Year 7 of the Secondary Framework	Objectives from Year 8 of the Secondary Framework	Objectives from Year 9 of the Secondary Framework	Objectives from Year 10 of the Secondary Framework	Objectives from Year 11 of the Secondary Framework	Objectives from Year 11E of the Secondary Framework
Pitch	Levels 3, 4	Levels 4, 5	Levels 4, 5	Levels 5, 6	Levels 5, 6, 7	Levels 6, 7, 8 Grades C, B	Levels 7, 8, EP Grades B, A	Levels 8, EP Grades A, A*
	Read and plot coordinates in the first quadrant; recognise parallel and perpendicular lines in grids and shapes; use a set-square and ruler to draw shapes with perpendicular or parallel sides	Use coordinates in the first quadrant to draw, locate and complete shapes that meet given properties	<p>Generate coordinate pairs that satisfy a simple linear rule; plot the graphs of simple linear functions, where y is given explicitly in terms of x, on paper and using ICT; recognise straight-line graphs parallel to the x-axis or y-axis</p> <p>Express simple functions in words, then using symbols; represent them in mappings</p> <p>Use conventions and notation for 2-D coordinates in all four quadrants; find coordinates of points determined by geometric information</p>	<p>Generate points in all four quadrants and plot the graphs of linear functions, where y is given explicitly in terms of x, on paper and using ICT; recognise that equations of the form $y = mx + c$ correspond to straight-line graphs</p> <p>Express simple functions algebraically and represent them in mappings or on a spreadsheet</p> <p>Find the midpoint of the line segment AB, given the coordinates of points A and B</p>	<p>Generate points and plot graphs of linear functions, where y is given implicitly in terms of x (e.g. $ay + bx = 0$, $y + bx + c = 0$), on paper and using ICT; find the gradient of lines given by equations of the form $y = mx + c$, given values for m and c</p> <p>Find the inverse of a linear function</p> <p>Use ICT to explore the graphical representation of algebraic equations and interpret how properties of the graph are related to features of the equation, e.g. parallel and perpendicular lines</p>	<p>Compare graphical, algebraic and geometrical representations, including mapping diagrams, to explain the effect of:</p> <ul style="list-style-type: none"> rotating the line $y = mx + c$ through 90° about any point reflecting the line $y = mx + c$ in the line $y = x$ <p>Derive properties of perpendicular lines and of the inverse function</p> <p>Explore graphs of functions of the form $y = x^n$ (n an integer) and recognise their characteristic shapes; vary the values of a, b and c in functions such as $y = ax^2 + c$, $y = ax^3 + c$, $y = (x + b)^2$ using a graph plotter to explain how this transforms the graph</p>	<p>Explore connections between the form of the equation and the resulting graphs of quadratic and cubic functions such as:</p> <ul style="list-style-type: none"> $y = (x + 2)(x - 5)$ $y = (x - 2)(x^2 + 7x + 12)$ $y = x^2 - 2x + 1$ $y = x^3 + 3$ <p>Include features such as roots of the equation, intercepts and turning points</p>	<p>Explore graphs of exponential and trigonometrical functions and recognise their characteristic shapes; apply to the graph $y = f(x)$ the transformations $y = f(x) + a$, $y = af(x)$, $y = f(x + a)$, $y = f(ax)$ for linear, quadratic, sine and cosine functions; use a graph plotter to explain the effect of transformations on the graph and generalise to other functions</p>